

**Answers for Lesson 12-2, pp. 673–675 Exercises**

1.  $\overline{BC} \cong \overline{YZ}$  ;  $\overline{BC} \cong \overline{YZ}$
2.  $\overline{ET} \cong \overline{GH} \cong \overline{JN} \cong \overline{ML}$   
 $\widehat{ET} \cong \widehat{GH} \cong \widehat{JN} \cong \widehat{ML}$ ;  
 $\angle TFE \cong \angle HFG \cong \angle JKN \cong \angle MKL$
3. 14
4. 2
5. 7
6. 50
7. 8
8. 10
9. Answers may vary. Samples are given.
  - a.  $\overline{CE}$
  - b.  $\overline{DE}$
  - c.  $\angle CEB$
  - d.  $\angle DEA$
10. the center of the circle
11. 6
12. 5.4
13. 8.9
14. 12.5
15. 9.9
16. 20.8
17. 108
18. 90
19. about 123.9
20. She can draw 2 chords, and their  $\perp$  bisectors, of the partial circle. The intersection pt. of the  $\perp$  bisectors will be the center and she can then measure the radius.
21. 12 cm
22. 6 in.
23. a.  $\overline{PL}$   
 b.  $\overline{PM}$   
 c. All radii of a circle are  $\cong$ .  
 d.  $\triangle LPN$   
 e. SAS  
 f. CPCTC

**Answers for Lesson 12-2, pp. 673–675 Exercises (cont.)**

24. a. All radii of a circle are  $\cong$ .  
 b.  $\overline{AB} \cong \overline{CD}$   
 c. Given  
 d. SSS  
 e.  $\angle AEB \cong \angle CED$   
 f.  $\cong$  central  $\sphericalangle$ s have  $\cong$  arcs.
25.  $\triangle OAC \cong \triangle OBC$  by HL.  $\overline{AC} \cong \overline{BC}$  since CPCTC. Also  $\angle AOC \cong \angle BOC$  (CPCTC), so  $\widehat{AD} \cong \widehat{BD}$  since  $\cong$  central  $\sphericalangle$ s intercept  $\cong$  arcs.
26. about 13.9 cm
27. He doesn't know that the chords are equidistant from the center.
28. Check students' work.
29. If the chords, arcs, or central  $\sphericalangle$ s are in different circles and the circles have unequal radii, the theorems do not apply.
30. 5 in.      31. 10 cm      32. 10 ft      33. C
34. 3.5 cm, 15.5 cm
35. 1.  $\odot P$  with  $\widehat{QS} \cong \widehat{RT}$  (Given)  
 2.  $m\widehat{QS} = m\angle QPS$  and  $m\widehat{RT} = m\angle RPT$  (Arc measure = central  $\sphericalangle$  measure.)  
 3.  $m\widehat{QS} = m\widehat{RT}$  (Def. of  $\cong$ )  
 4.  $\angle QPS \cong \angle RPT$  (Subst.)
36.  $X$  is equidist. from  $W$  and  $Y$ , since  $\overline{XW}$  and  $\overline{XY}$  are radii. So,  $X$  is on the  $\perp$  bis. of  $\overline{WY}$  by the Conv. of the  $\perp$  Bis. Thm. But  $\ell$  is the  $\perp$  bis. of  $\overline{WY}$ , so  $\ell$  contains  $X$ .

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- 37.**  $C$  on the bisector of  $\angle QPR$  means that  $C$  is equidistant from  $\overline{PQ}$  and  $\overline{PR}$ , or  $\overline{PQ}$  and  $\overline{PR}$  are equidistant from  $C$ .  
Therefore,  $PQ = PR$  since chords equidistant from the center of a circle are  $\cong$ .
- 38.** All radii of  $\odot O$  are  $\cong$ , so  $\triangle AOB \cong \triangle COD$  by SSS.  
 $\angle A \cong \angle C$  by CPCTC. Also,  $\angle OEA \cong \angle OFC$  since both are rt.  $\angle$ s. Thus,  $\triangle OEA \cong \triangle OFC$  by AAS, and  $\overline{OE} \cong \overline{OF}$  by CPCTC.
- 39.** 1.  $\odot A$  with  $\overline{CE} \perp \overline{BD}$  (Given)  
2.  $\overline{CF} \cong \overline{CF}$  (Refl. Prop. of  $\cong$ )  
3.  $\overline{BF} \cong \overline{FD}$  (A diameter  $\perp$  to a chord bisects the chord.)  
4.  $\angle CFB$  and  $\angle CFD$  are rt.  $\angle$ s (Def. of  $\perp$ ).  
5.  $\triangle CFB \cong \triangle CFD$  (SAS)  
6.  $\overline{BC} \cong \overline{CD}$  (CPCTC)  
7.  $\widehat{BC} \cong \widehat{DC}$  ( $\cong$  chords have  $\cong$  arcs.)
- 40.** 1661 gal
- 41.** Let  $O$  be the center of the circles, and  $P$  be the pt. of tangency of the larger circle's chord to the smaller circle. Then  $\overline{OP}$  is  $\perp$  to the chord, and therefore bisects it. So  $P$  is the mdpt. of the chord.