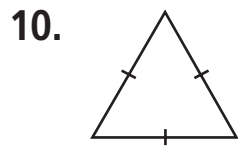
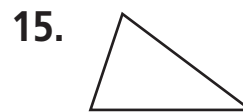
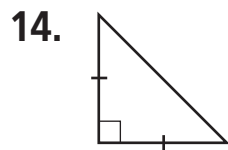
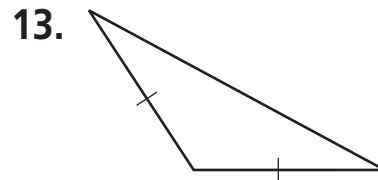
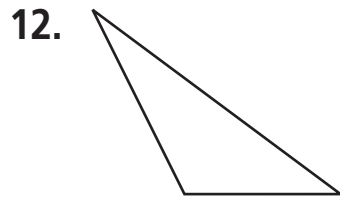


Answers for Lesson 3-4, pp. 150–152 Exercises

1. 30
 2. 83.1
 3. 90
 4. $x = 70; y = 110; z = 30$
 5. $x = 80; y = 80$
 6. 60
 7. right, scalene
 8. acute, equiangular, equilateral
 9. obtuse, isosceles



11. Not possible; a right \triangle will always have one longest side opp. the right \angle .



16. a. $\angle 5, \angle 6, \angle 8$
 b. $\angle 1$ and $\angle 3$ for $\angle 5$
 $\angle 1$ and $\angle 2$ for $\angle 6$
 $\angle 1$ and $\angle 2$ for $\angle 8$
 c. They are \cong vert. \angle s.

Answers for Lesson 3-4, pp. 150–152 Exercises (cont.)

17. a. 2

18. 123

b. 6

19. 115.5

20. $m\angle 3 = 92; m\angle 4 = 88$

21. $x = 147, y = 33$

22. $a = 162, b = 18$

23. $x = 7; 55, 35, 90; \text{right}$

24. $x = 37; 37, 65, 78; \text{acute}$

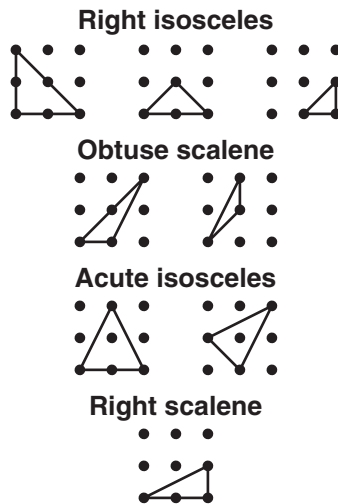
25. $x = 38, y = 36, z = 90; \triangle ABD: 36, 90, 54; \text{right};$
 $\triangle BCD: 90, 52, 38; \text{right}; \triangle ABC: 74, 52, 54; \text{acute}$

26. $a = 67, b = 58, c = 125, d = 23, e = 90; \triangle FGH: 58, 67, 55;$
 $\text{acute}; \triangle FEH: 125, 32, 23; \text{obtuse}; \triangle EFG: 67, 23, 90; \text{right}$

27. 60; $180 \div 3 = 60$

28. Yes, an equilateral \triangle is isosc. because if three sides of a \triangle are \cong , then at least two sides are \cong . No, the third side of an isosc. \triangle does not need to be \cong to the other two.

29. eight



30. A

31. 30 and 60

32. a. 40, 60, 80

b. acute

Answers for Lesson 3-4, pp. 150–152 Exercises (cont.)

- 33.** Check students' work. Answers may vary. Sample: The two ext. \sphericalangle s formed at vertex A are vert. \sphericalangle s and thus have the same measure.
- 34.** By the definition of right angle, $m\angle C = 90$.
By the Triangle Angle-Sum Theorem, $m\angle A + m\angle B + m\angle C = 180$.
Subtracting 90 from each side gives $m\angle A + m\angle B = 90$, so A and B are complementary by the definition of comp. angles.
- 35.** $m\angle 1 + m\angle 4 = 180$ by the \sphericalangle Add. Postulate.
 $m\angle 2 + m\angle 3 + m\angle 4 = 180$ by the \triangle \sphericalangle -Sum Theorem.
 $m\angle 1 + m\angle 4 = m\angle 2 + m\angle 3 + m\angle 4$ by the Trans. Property of Equality.
 $m\angle 1 = m\angle 2 + m\angle 3$ by the Subtr. Property of Equality.
- 36.** 132; since the third \sphericalangle is 68, the largest ext. \sphericalangle is $180 - 48 = 132$.
- 37.** Check students' work.
- 38** a. 81
b. 45, 63, 72
c. acute
- 39.** a.-b. There are no such triangles.
c. isosceles triangle.
- 40.** 115
- 41.** Answers may vary. Sample: The measure of the ext. \sphericalangle is = to the sum of the measures of the two remote int. \sphericalangle s. Since these \sphericalangle s are \cong , the \sphericalangle s formed by the bisector of the ext. \sphericalangle are \cong to each of them. Therefore, the bisector is \parallel to the included side of the remote int. \sphericalangle s by the Conv. of the Alt Int. \sphericalangle Thm.