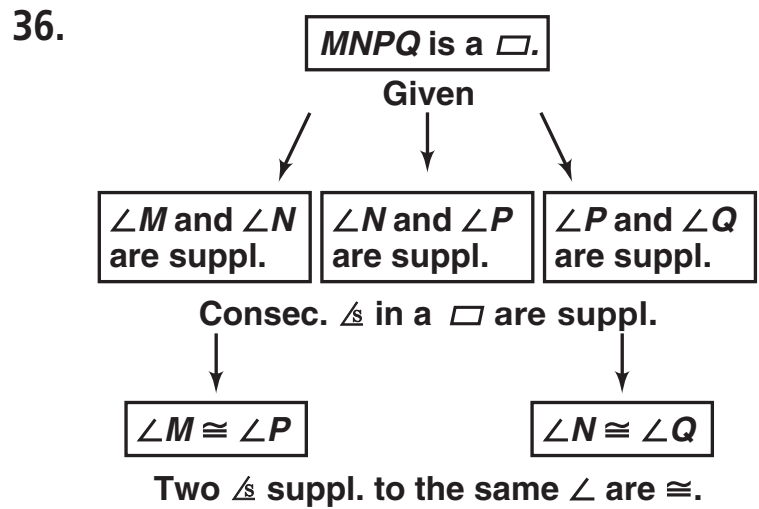


Answers for Lesson 6-2, pp. 315–318 Exercises (cont.)

35. a. \overline{DC}
 b. \overline{AD}
 c. \cong
 d. Reflexive
 e. ASA
 f. CPCTC



37. 38, 32, 110 38. 81, 28, 71 39. 95, 37, 37

40. The lines going across may not be \parallel since they are not marked as \parallel .

41. 18, 162

42. Answers may vary. Sample:

1. $LENS$ and $NGTH$ are \square s. (Given)
2. $\angle ELS \cong \angle ENS$ and $\angle GTH \cong \angle GNH$ (Opp. \angle s of a \square are \cong .)
3. $\angle ENS \cong \angle GNH$ (Vertical \angle s are \cong .)
4. $\angle ELS \cong \angle GTH$ (Trans. Prop. of \cong)

Answers for Lesson 6-2, pp. 315–318 Exercises (cont.)

52. a. $\overleftrightarrow{AB} \parallel \overleftrightarrow{CD} \parallel \overleftrightarrow{EF}$ and $\overline{AC} \cong \overline{CE}$ (Given)
- b. $ABGC$ and $CDHE$ are parallelograms. (Def. of a \square)
- c. $\overline{BG} \cong \overline{AC}$ and $\overline{DH} \cong \overline{CE}$ (Opp. sides of a \square are \cong .)
- d. $\overline{BG} \cong \overline{DH}$ (Trans. Prop. of \cong)
- e. $\overline{BG} \parallel \overline{DH}$ (If 2 lines are \parallel to the same line, then they are \parallel to each other.)
- f. $\angle 2 \cong \angle 1$, $\angle 1 \cong \angle 4$, $\angle 4 \cong \angle 5$, and $\angle 3 \cong \angle 6$ (If 2 lines are \parallel , then the corr. \angle s are \cong .)
- g. $\angle 2 \cong \angle 5$ (Trans. Prop. of \cong)
- h. $\triangle BGD \cong \triangle DHF$ (AAS)
- i. $\overline{BD} \cong \overline{DF}$ (CPCTC)
53. a. Given: 2 sides and the included \angle of $\square ABCD$ are \cong to the corr. parts of $\square WXYZ$. Let $\angle A \cong \angle W$, $\overline{AB} \cong \overline{WX}$ and $\overline{AD} \cong \overline{WZ}$. Since opp. \angle s of a \square are \cong , $\angle A \cong \angle C$ and $\angle W \cong \angle Y$. Thus $\angle C \cong \angle Y$ by the Trans. Prop. of \cong . Similarly, opp. sides of a \square are \cong , thus $\overline{AB} \cong \overline{CD}$ and $\overline{WX} \cong \overline{ZY}$. Using the Trans. Prop. of \cong , $\overline{CD} \cong \overline{ZY}$. The same can be done to prove $\overline{BC} \cong \overline{XY}$. Since consec. \angle s of a \square are suppl., $\angle A$ is suppl. to $\angle D$, and $\angle W$ is suppl. to $\angle Z$. Suppl. of \cong \angle s are \cong , thus $\angle D \cong \angle Z$. The same can be done to prove $\angle B \cong \angle X$. Therefore, since all corr. \angle s and sides are \cong , $\square ABCD \cong \square WXYZ$.
- b. No; opp. \angle s and sides are not necessarily \cong in a trapezoid.