

Answers for Lesson 7-5, pp. 400–404 Exercises

1. 7.5
2. 8
3. 5.2
4. d
5. c
6. b
7. d
8. 7.5
9. $3\frac{1}{3}$
10. 9.6
11. 6
12. 4.8
13. 35
14. 3.6
15. $\frac{40}{7}$
16. 12
17. KS
18. SQ
19. JP
20. KP
21. KM
22. PM
23. JP
24. LW
25. 559 ft
26. 671 ft
27. 2.4 cm and 2.6 cm; 3.3 cm and 8.7 cm; 3.8 cm and 9.2 cm
28. Answers may vary. Sample: 9 cm and 13.5 cm
29. $x = 18$ m; $y = 12$ m

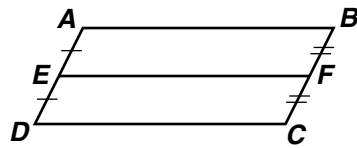
30. a.  b. isosceles; \triangle - \angle Bisector Thm.

31. 20
32. 2.5
33. $\frac{2}{7}, 3$

Answers for Lesson 7-5, pp. 400–404 Exercises (cont.)

45. a. A midsegment of a \square connects the midpts. of 2 opp. sides.

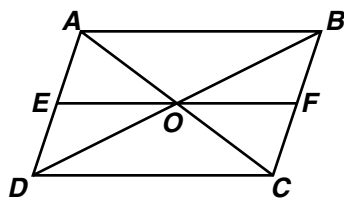
b.



Given: $\square ABCD$ with \overline{EF} connecting the midpts. of \overline{AD} and \overline{BC} Prove: $\overline{AB} \parallel \overline{EF}$; $\overline{EF} \parallel \overline{CD}$

1. $\square ABCD$ (Given)
2. $\overline{AE} \parallel \overline{BF}$ and $\overline{ED} \parallel \overline{FC}$ (Def. of \square)
3. $\overline{AD} \cong \overline{BC}$ (Opp. sides of \square are \cong .)
4. E and F are midpts. of \overline{AD} and \overline{BC} . (Given)
5. $AE = ED = \frac{1}{2}AD$; $BF = FC = \frac{1}{2}BC$ (Def. of midpt.)
6. $AE = BF$, $ED = FC$ (Subst.)
7. $ABFE$ and $EFCD$ are \square (If one pair of opp. sides of a quad. is \cong and \parallel , it is a \square .)
8. $\overline{AB} \parallel \overline{EF}$ and $\overline{EF} \parallel \overline{CD}$ (Opp. sides of a \square are \parallel .)

c.



Given: $\square ABCD$ with midsegment \overline{EF} Prove: \overline{EF} bisects \overline{AC} and \overline{BD} .
 Since $\overline{AB} \parallel \overline{EF} \parallel \overline{DC}$ by part (b), and \overline{EF} bisects \overline{AD} , by the Side-Splitter Thm., \overline{EF} bisects \overline{AC} and \overline{BD} .

Answers for Lesson 7-5, pp. 400–404 Exercises (cont.)

46. If a ray passes through the vertex of an angle of a triangle and splits the opposite side into segments that are proportional to the other two sides of the triangle, then the ray bisects the angle. Explanations may vary. Sample: Refer to diagram in proof of Theorem 7-5, p. 400. It is given that $\frac{CD}{DB} = \frac{CA}{BA}$, and by the Side-Splitter Thm., $\frac{CD}{DB} = \frac{CA}{AF}$, so $BA = AF$. $\triangle ABF$ is isosceles by the Isos. Triangle Thm., so $\angle 3 \cong \angle 4$. $\angle 2 \cong \angle 4$ by the Alt. Int. Angles Thm., and $\angle 1 \cong \angle 3$ by the Corr. Angles Thm., so by substitution, $\angle 1 \cong \angle 2$, and therefore \overline{AD} bisects $\angle CAB$.
47. a. 14
b. 11