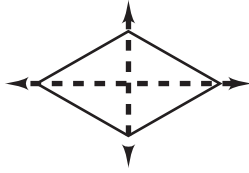
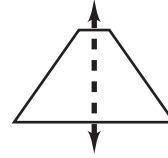


Answers for Lesson 9-4, pp. 494–496 Exercises

1. line; rotational: 180°

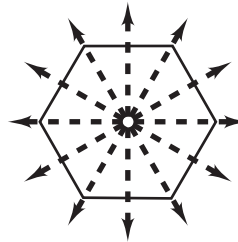


2. line



3. rotational: 90°

4. line, rotational: 60°



5. rotational: 180°

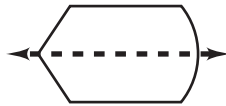
6. no symmetry

7. no symmetry

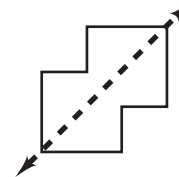
8. rotational: any angle; line: any line passing through the center

9. rotational: 60°

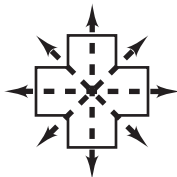
10. line



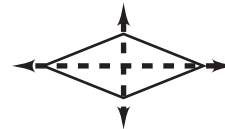
11. line, rotational: 180°



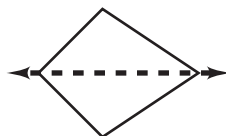
12. line, rotational: 90°



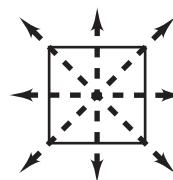
13.



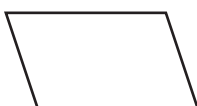
14.



15.



16.



Answers for Lesson 9-4, pp. 494–496 Exercises (cont.)

17. rotational and reflectional 18. reflectional

19–20. Answers may vary. Samples are given.

19. CODE, HOOD, DOCK

20. TOMATO, HOAX, WAXY

21. a.

Language	Horz. line	Vert. line	Point
English	B, C, D, E, H, I, K, O, X	A, H, I, M, O, T, U, V, W, X, Y	H, I, N, O, S, X, Z
Greek	B, E, H, Θ, I, K, Ξ, O, Σ, Φ, Χ	A, Δ, H, Θ, I, Λ, M, Ξ, O, Π, Τ, Υ, Φ, Χ, Ψ, Ω	Z, H, Θ, I, N, Ξ, O, Φ, Χ

b. Answers may vary. Sample: Greek; Greek alphabet has more letters with at least one kind of symmetry and more letters with multiple symmetries.

22–23. Sketches may vary.

22. reflectional

23. rotational: 90° ; reflectional

24. Answers may vary. Sample: $30 \div 10 = 3$; $|8 - 1| = |1 - 8|$,
 $80 + 3 < 88$; $\frac{80}{80} = \frac{33}{33}$

25. reflectional; rotational 26. reflectional

27. point 28. none

29. reflectional; rotational 30. reflectional

31. reflectional, rotational 32. reflectional

33. Yes; the bisector divides the \angle into $2 \cong \sphericalangle$ with one side of the \angle being the reflection of the other.

34. Not necessarily; the \triangle would need the two other \sphericalangle to be \cong .

Answers for Lesson 9-4, pp. 494–496 Exercises (cont.)

35. Not necessarily; the bisector divides the segment into $2 \cong$ parts but one part cannot be the reflection of the other unless the bisector is the \perp bisector.

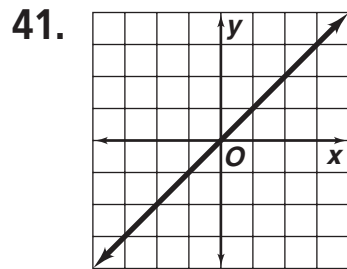
36. D

37. $(-3, 4)$

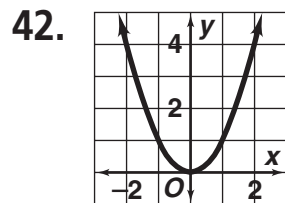
38. $(3, -4)$

39. $(-3, -4)$

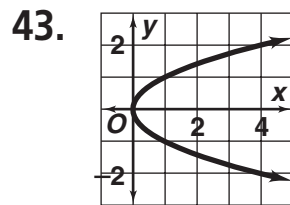
40. $(4, 3)$



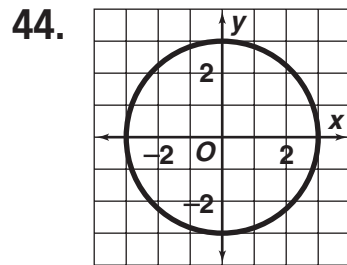
point symmetry about any pt. on the line; reflectional in any member of the family of lines $y = -x + b$



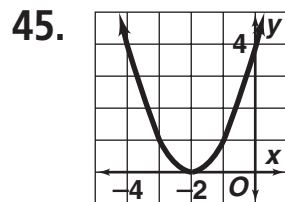
reflectional in y-axis



reflectional in x-axis



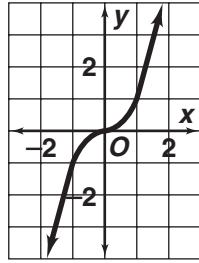
rotational symmetry of any \angle about the origin; reflectional in any line through the origin



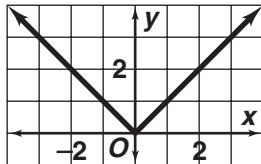
reflectional in $x = -2$

Answers for Lesson 9-4, pp. 494–496 Exercises (cont.)

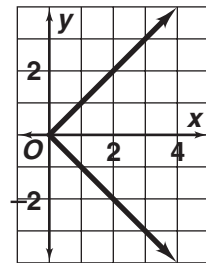
46. point symmetry about origin



47. reflectional in y -axis



48. reflectional in x -axis



49–50. Answers may vary. Samples are given.

